

Einladung zur öffentlichen Defensio von Frau

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Thema der Dissertation:

Geometric Invariants for the Resolution of Curve Singularities and for the Problem of the Moduli Space of n Points on the Projective Line

We present two applications of so-called geometric invariants defining algebraic geometric quantities of algebraic varieties. The first application is in resolution of singularities: Given a singular algebraic curve $X \subseteq \mathbb{A}^n_{\mathbb{C}}$, the task of resolution of singularities is to construct a smooth curve Y together with an almost isomorphism $\pi : Y \rightarrow X$. We study algebraic curvatures of curves – generators of the field of all geometric invariants of curves – and their basic properties in order to construct resolution of curve singularities. We show that each of these algebraic curvatures defines a height function on X which improves its singularities. Moreover, we are able to construct a geometric invariant whose corresponding height function resolves the singularities of X . The second application is for the First Fundamental Theorem for $SL_2(\mathbb{C})$ determining the structure of the moduli space of n points on the projective line: Consider the polynomial ring $\mathbb{C}[x_1, \dots, x_n, y_1, \dots, y_n]$ and the natural action of the group $SL_2(\mathbb{C})$ on it. We show that the ring of invariant polynomials under the action of $SL_2(\mathbb{C})$ is generated as a \mathbb{C} -algebra by the minimal geometric invariants of surfaces.

Prüfungssenat:

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