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Fakultät für Mathematik

## Mathematisches Kolloquium

### EINLADUNG

**Privatdozent Dr. Harald Grobner**

(Institut für Mathematik, Universität Wien)

**“Generalizations of the  $\zeta$ - function:  
Our proof of a version of the Deligne-conjecture”**

### **“Generalizations of the $\zeta$ - function: Our proof of a version of the Deligne-conjecture”**

It was in 1740 when Leonhard Euler published his seminal paper *De summis serierum reciprocarum*. In this work Euler was able to solve a century-old problem, namely to derive a precise formula for the values of the  $\zeta$ -function at even positive integers  $\zeta(2n)$ : His formula expresses this number  $\zeta(2n)$  as a *rational* multiple of the power  $\pi^{2n}$ .

More than 200 years later, in 1979, Pierre Deligne launched a far-reaching conjecture concerning particular values of what one calls *motivic L-functions*: These motivic *L*-functions are a very broad and at the same time very conceptual generalization of the  $\zeta$ -function above, whereas Deligne's conjectured formula for their particular values is a direct conjectural extension of Euler's classical result for  $\zeta^{2n}$ .

In this talk, after a tailored introduction to the problem, we will present the essence of our *proof of a version of Deligne's conjecture* for a large family of *L*-functions, hence presenting a generalization of Euler's classical formula for a broad class of *L*-values. (This is joint work with Michael Harris.)

**Zeit: Mittwoch 20. April 2016  
15.45 Uhr Kaffeejause,  
16.15 Uhr Vortrag,  
vinum cum pane im Anschluss**

**Ort: Fakultät für Mathematik,  
Oskar-Morgenstern-Platz 1,  
Sky Lounge**

Joachim Schwermer  
Harald Rindler