

E I N L A D U N G

im Rahmen des [Seminars in Geometric Analysis and Physics](#)
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zum Vortrag
von

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über

„The Class of j -Projection Bodies“

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Ort: Arbeitsgruppe Gravitation, Seminarraum A,
Währinger Straße 17, 2. Stock

gez.: M. Bauer (Fak. Math, T.U.)
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The Class of j -Projection Bodies

Felix Dorrek

(joint work with Franz Schuster)

In convex geometry there exist a number of ways to analytically describe a convex body in \mathbb{R}^n . Most common is the use of the support function but there are interesting alternatives. By a theorem of Aleksandrov an origin symmetric convex body (of dimension at least $j + 1$) is uniquely determined by its j -th projection function

$$E \mapsto \text{vol}_j(K|E),$$

where E is a j -dimensional subspace of \mathbb{R}^n . This fact invites the study of classes of convex bodies based on the properties of their projection functions.

Generalizing Minkowski's classical notion of projection bodies of convex bodies we call a convex body K the j -projection body of another convex body L if

$$\text{vol}_j(K|E^\perp) = \text{vol}_{n-j}(L|E),$$

for all $(n - j)$ -dimensional subspaces E .

In contrast to the dual concept of j -intersection bodies very little is known about the class of j -projection bodies. A fundamental Fourier-analytic characterization result for j -intersection bodies turned out to be important for further understanding of that class. Here we discuss a dual version of this theorem for j -projection bodies describing them in terms of their area measures.